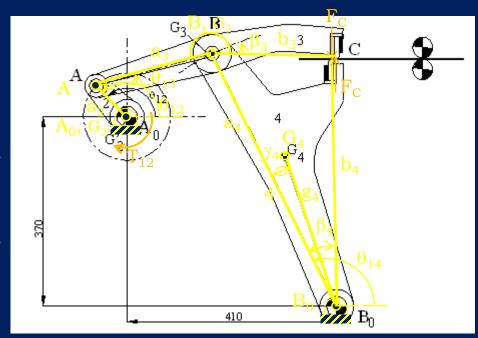
Example:

This is a shear cutter that cuts the strip while it is running through the cutting edges C on links 3 and 4. It is driven at the crank A_0 by a torque T_{12} . The known cutting force at the cutting edges are $F_{\rm C}$. Determine the driving torque T_{12} for a given crank speed $\dot{\theta}_{12}$. The machine works in the vertical plane.

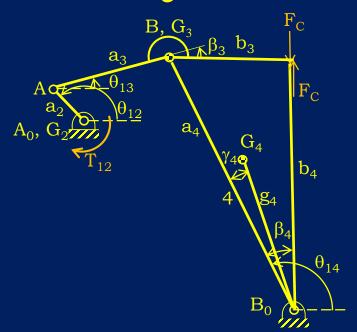


Example:

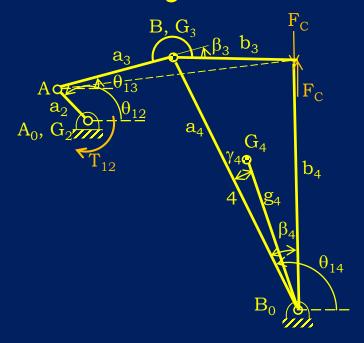
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Solution Procedure:

- Perform kinematic analysis.
- Draw free body diagrams with inertia forces and write the dynamic equations of equilibrium.
- Solve the equations for unknown force.

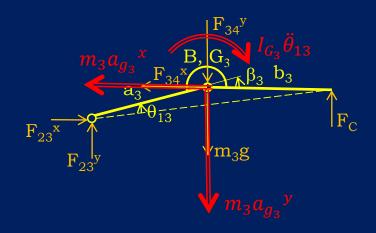


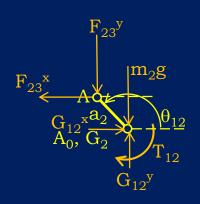
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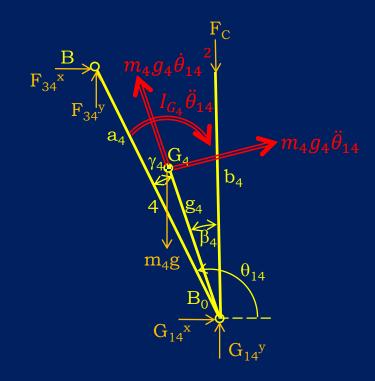


Example:

 Draw free body diagrams with inertia forces and write the equations of equilibrium.







Example:

Link 4:

$$\sum M_{B_0}=0$$

$$a_4 F_{34}^x sin(0 - \theta_{14}) + a_4 F_{34}^y sin(\frac{\pi}{2} - \theta_{14})$$

$$+b_{4}F_{C}sin\left[\frac{3\pi}{2}-(\theta_{14}-\gamma_{4}-\beta_{4})\right]+g_{4}m_{4}gsin\left[\frac{3\pi}{2}-(\theta_{14}-\gamma_{4})\right]$$

$$-g_4 m_4 g_4 \ddot{\theta}_{14}^{-1} - I_{G_4} \ddot{\theta}_{14} = 0 \rightarrow F_{34}^{-x}, F_{34}^{y}??$$

$$\sum F_{\chi}=0$$

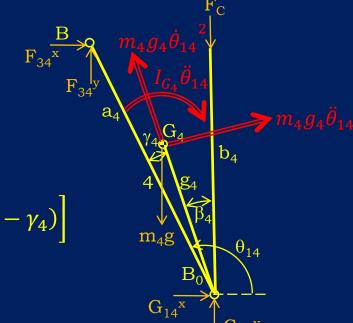
$$G_{14}^{x} + F_{34}^{x} + m_{4}g_{4}\ddot{\theta}_{14}cos\left(\theta_{14} - \gamma_{4} - \beta_{4} - \frac{\pi}{2}\right)$$

$$+ m_4 g_4 \dot{\theta}_{14}^2 cos(\theta_{14} - \gamma_4) = 0 \rightarrow G_{14}^x??$$

$$\sum F_{y}=0$$

$$G_{14}^{y} + F_{34}^{y} + m_{4}g_{4}\ddot{\theta}_{14}sin\left(\theta_{14} - \gamma_{4} - \frac{\pi}{2}\right)$$

$$+ m_4 g_4 \dot{\theta}_{14}^2 \sin(\theta_{14} - \gamma_4 - \beta_4) - F_C - m_4 g = 0 \rightarrow G_{14}^y??$$



Example:

Link 3:

$$\sum M_A=0$$

Link 3:

$$\sum_{F_{23}} M_A = 0$$

$$F_{23} = \frac{1}{7} \cdot \theta_{13}$$

$$+a_{3}m_{3}a_{g_{3}}^{y}sin\left(\frac{3\pi}{2}-\theta_{13}\right)+a_{3}m_{3}gsin\left(\frac{3\pi}{2}-\theta_{13}\right)+c_{3}F_{c}sin\left[\frac{\pi}{2}-(\theta_{13}-\gamma_{3})\right]$$

$$-I_{G_3}\ddot{\theta}_{13} = 0 \rightarrow + \sum M_{B_0} = 0 \rightarrow F_{34}^{\ x}, F_{34}^{\ y}$$

$$\sum F_{x}=0$$

$$F_{23}^{\ x} - F_{34}^{\ x} - m_3 a_{g_3}^{\ x} = 0 \rightarrow F_{23}^{\ x}$$

$$\sum F_y = 0$$

$$F_{23}^{y} - F_{34}^{y} - m_{3}a_{g_{3}}^{y} - m_{3}g + F_{C} = 0 \rightarrow F_{23}^{y}$$

Example:

Link 2:

$$\sum M_{A_0}=0$$

$$a_2 F_{23}^x sin(\pi - \theta_{12}) + a_2 F_{23}^y sin\left(\frac{3\pi}{2} - \theta_{12}\right) - T_{12} = 0 \to T_{12}$$

$$F_{23}^{x}$$
 G_{12}^{x}
 A_{0}
 G_{12}^{x}
 G_{12}^{x}
 G_{12}^{y}

$$\sum F_{x}=0$$

$$G_{12}^{x} - F_{23}^{x} = 0 \rightarrow G_{12}^{x}$$

$$\sum F_{y}=0$$

$$G_{12}^{y} - F_{23}^{y} - m_{2}g = 0 \rightarrow G_{12}^{y}$$